p. 56-57 Probability of Multiple Events 11.3

<mark>p. 56</mark>

When we find the probability of 2 or more events occurring, we will distinguish between

independent and dependent events.

Independent events are not affected by previous events.

A coin does not "know" it landed on tails before; A 6-sided die does not "know" that it landed on a 4 before, etc.

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2.2

3.2

 $1 \approx (12)$





Another example of independent events...

When selecting items from containers multiple times, with replacement, means that each time you take something out you put it back before selecting again.

Example

3) You have a bag containing 4 blue marbles, 6 red marbles, and 8 green marbles. formula = 100

If 2 marbles are drawn (with replacement), what is the probability of choosing a red then a blue marble?

$$\frac{6}{18} \cdot \frac{4}{18} = \frac{24}{324} = \frac{2}{27}$$

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p 57 Dependent Events die alle alle by previous events. When selecting items multiple times, without replaceme means that you never put the items back before selecting again.

Examples

A bag contains 2 blue marbles and 3 red marbles. If two marbles are drawn (without replacement)...

4) What is the probability of choosing a red then a blue marble?

 $\frac{3}{5} \cdot \frac{2}{4} = \frac{6}{20} = \frac{3}{10}$

5) What is the probability of choosing two blue marbles?



6) If you draw 2 cards from a standard deck, WITHOUT REPLACEMENT, what is the probability of drawing 2 queens?

$$\frac{4}{52} \cdot \frac{1}{51} = \frac{1}{-652} = \frac{1}{221}$$

7) A bag contains 6 yellow marbles, 4 blue marbles, and 1 orange marble. You draw 2 marbles, WITHOUT REPLACEMENT.

a) What is the probability of choosing 2 yellow marbles?

$$\frac{6}{11} \cdot \frac{5}{10} = \frac{30}{10} = \frac{3}{11}$$

b) What is the probability of choosing a blue then orange marble?



PRACTICE TIME