

7.1 Exploring Exponential Models

- a. I can determine if an exponential equation or scenario is a growth or decay function
- b. I can create and solve an exponential function to model a situation.

p. 26-27 Exponential Growth and Decay Models 7.1

Recall our standard forms of Exponential Growth and Decay functions which we used TO GRAPH:

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Growth Function

$$y = a(b)^{x-h} + k$$

where $b > 1$

Decay Function

$$y = a(b)^{x-h} + k$$

where $0 < b < 1$

Formula for Exponential Growth

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When a real life quantity *increases* by a fixed % each year, the ending amount, y , after t years can be modeled with the following formula:

$$y = P(1 + r)^t$$

Diagram showing the components of the formula:

- y : ending amount
- P : principal starting value
- r : rate (as a decimal) $\% \div 100$
- t : time

- 1) In 1990, the population of Stars Hollow was 6,191 and the population was increasing by 4% each year.

- a. Using the Formula for Exponential Growth, write an equation that models the situation over any given time, t .

$$y = 6191 \cdot (1 + 0.04)^t$$

- b. Using your equation from part A, determine Stars Hollow population in 2001.

$$y = 6191 \cdot (1 + 0.04)^{11}$$

$$y = 9530.76$$

$$t = 2001 - 1990$$

$$t = 11$$

$$\text{pop.} = 9,531$$

Formula for Exponential Decay

When a real life quantity decreases by a fixed % each year, the ending amount, y , after t years can be modeled by the following formula:

$$y = P(1 - r)^t$$

2) You buy a new car for \$24,000. The car depreciates by 16% each year.

- a. Using the Formula for Exponential Decay, write an equation that models the situation over any given time, t .

$$y = 24000(1 - .16)^t$$

- b. Using your equation from part A, determine the value of the car after 4 years.

$$y = 24000(1 - .16)^4$$

$$y = 11948.9126$$

$$\text{Value} = \$11,948.91$$

Homework - Worksheet Exp Growth/Decay
Models - Day 1 HW

Only do #1 - 6